

## ECO220Y: Homework, Lecture 21

**Readings:** Sections 20.1-20.4

**Exercises:** 13 (skip part d), 14 (skip part b), 15

**Problems:**

**(1)** In doing a test of statistical significance, economists often use a simple “rule of thumb”: Is slope coefficient divided by its standard error either  $> 2$  or  $< -2$ . What is the sense of this rule of thumb?

**(2)** A researcher wishes to estimate the parameters of the following model.

$$\ln(q_{1i}) = \alpha_1 + \beta_1 \ln(p_{1i}) + \gamma_1 \ln(p_{2i}) + \varepsilon_{1i}$$

$$\ln(q_{2i}) = \alpha_2 + \beta_2 \ln(p_{2i}) + \gamma_2 \ln(p_{1i}) + \varepsilon_{2i}$$

Practice using the rule of thumb for the following estimation results:

	Parameter Estimate	Standard Error (s.e.)
$\hat{\alpha}_1$	10.0	6.3
$\hat{\alpha}_2$	11.0	4.8
$\hat{\beta}_1$	-2.5	0.8
$\hat{\beta}_2$	-2.0	0.6
$\hat{\gamma}_1$	1.0	0.4
$\hat{\gamma}_2$	1.5	0.5

**(3)** There is some limited (and not very convincing) evidence that sitting close to the front of the classroom improves a student’s performance. Consider the research question: What is the effect of seat location on a student’s performance in a course? The researcher obtains approval to conduct an experiment where students in ECO220Y are randomly assigned a seat in a classroom where they must sit for the entire course. Attendance is taken to ensure compliance in every lecture. The following variables are available in the data:

MARK_220	Student’s percentage mark in ECO220Y
ROW	Row number of student (row 1 is first row at the front of the lecture hall)
MARK_100	Student’s percentage mark in ECO100Y

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. su MARK_220 MARK_100 ROW;
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Variable	Obs	Mean	Std. Dev.	Min	Max
MARK_220	250	66.42	12.35016	36.63087	97.20178
MARK_100	250	81.84	5.484407	67	98
ROW	250	13	7.225568	1	25

```
. regress MARK_220 ROW MARK_100;
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Source	SS	df	MS		
Model	21790.3847	2	10895.1924	Number of obs = 250	
Residual	16188.7148	247	65.541355	F( 2, 247) = 166.23	
Total	37979.0996	249	152.526504	Prob > F = 0.0000	
				R-squared = 0.5737	
				Adj R-squared = 0.5703	
				Root MSE = 8.0958	

  

MARK_220	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
ROW	-.4845315	.0710174	-6.82	0.000	-.6244085 -.3446546
MARK_100	1.56963	.0935637	16.78	0.000	1.385345 1.753914
_cons	-55.73957	7.747089	-7.19	0.000	-70.99835 -40.48079

- (a) Interpret the coefficient estimates (slopes and intercepts). Are they of the expected sign?  
 (b) Do we have sufficient evidence to infer that our research hypothesis is true? (Show your work and explain.)  
 (c) Considering the following simple regression with these same data, are you surprised by these results? If so, explain. If not, explain how these results are what you would expect.

```
. regress MARK_220 ROW;
```

Source	SS	df	MS		
Model	3344.68018	1	3344.68018	Number of obs = 250	
Residual	34634.4194	248	139.654917	F( 1, 248) = 23.95	
Total	37979.0996	249	152.526504	Prob > F = 0.0000	
				R-squared = 0.0881	
				Adj R-squared = 0.0844	
				Root MSE = 11.818	

  

MARK_220	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
ROW	-.5072308	.1036469	-4.89	0.000	-.7113713 -.3030903
_cons	73.014	1.540822	47.39	0.000	69.97923 76.04877

- (e) The reason that existing evidence is not very convincing is because it often relies on observational data. Describe the nature of observational data that would be available to answer the research question. Describe what would happen if a regression analysis were conducted using such data. Indicate the direction of bias on the coefficient of interest.