## SOLUTIONS

(1) If there is no sampling error then we expect a scatter diagram that will $\qquad$ (A)
(2) Which is the best example of a random variable that is clearly discrete and not continuous? (D)
(3) What is the chance that any Normally distributed random variable will take a value that is more than half a standard deviation below its average? (B)
(4) It is claimed that one third of Canadians watch the CBC news in a typical week. Is it statistically plausible that in a random sample of five Canadians more than half watch the CBC news? (E)
(5) In which of the following circumstances would the sample mean (X-bar) have the biggest variance and vary the most because of sampling error? (C)
(6) The distribution of profits for new restaurants is known to be positively skewed. A small random sample is collected. Which of these factors would affect the shape of the sampling distribution of the sample mean? (D)
(7) If $f(-10)=0.025$ and $f(4)=0.040$, what is $P(-10<X<4)$ ? ( $E$ )
(8) Which sample size makes $P(-1<X-b a r<1)$ smallest AND makes $P(X-b a r>10)$ biggest? (A)
(9) Which are true statements about using a Monte Carlo Simulation to learn about the sampling distribution of the sample mean? (C)
(10) What is the probability of a value between 10 and 15 if you randomly draw one observation?
(11) Suppose you standardize X to create $\mathrm{Y}: \mathrm{Y}=(\mathrm{X}-\mu) / \sigma$. What are the shape and parameters of the transformed variable? (E)
(12) Which of these statements comparing the variability of two samples are true? (C)
(13) If in fact people think that low and high sodium foods are equivalent in terms of taste, what is the chance that the high sodium foods would receive a higher average rating in the study above? (E)
(14) An industry representative claims that high sodium foods on average receive a substantially higher rating: an 8 point better rating on average. If that claim is true, what is the chance that sampling error explains getting a difference as small that found in the study above? (D)
(15) For $\underline{n=3}$, what is the chance that the sample mean is $8 / 3$ ? (D)
(16) For $\underline{n}=3$, how can we calculate the standard error of the sample mean? (B)
(17) For $\underline{n=10}$, what is the best estimate of the probability that the sample mean is equal to 1.7 ? (C)
(18) For $\underline{n}=10$, which are important differences between the graph above that is generated by a computer and a graph that can be reasonably generated by hand (actually tossing coins)? (B)
(19) How many parameters does the $F$ distribution have? (C)
(20) If the sample size is 11 , what is the chance that the $t$ statistic is less than -2.764 ? (A)
(21) If managers classify employees in the $99^{\text {th }}$ percentile and higher as "exceptional," to the nearest integer which rating does an employee need to obtain to be exceptional? (B)
(22) For 3 randomly selected employees what is the chance that on average their June ratings are greater than 80? (C)
(23) For 3 randomly selected employees what is the chance that all three have a June ratings greater than 80? (A)
(24) If managers determine the end-of-year bonus by averaging the June and November performance ratings to obtain an "overall year rating," what is the standard deviation of the overall year rating? (B)

