
***** MONTE CARLO EXPERIMENT # 4.000

***** COMPUTING A MPE OF THE DYNAMIC GAME

Values of the structural parameters

Fixed cost firm 1 =	-1.900
Fixed cost firm 2 =	-1.800
Fixed cost firm 3 =	-1.700
Fixed cost firm 4 =	-1.600
Fixed cost firm 5 =	-1.500
Parameter of market size (theta_rs) =	1.000
Parameter of competition effect (theta_rn) =	1.000
Entry cost (theta_ec) =	0.0000
Discount factor =	0.9500
Std. Dev. epsilons =	1.000

BEST RESPONSE MAPPING ITERATIONS

Best response mapping iteration =	1.000
Convergence criterion =	1000.
Best response mapping iteration =	2.000
Convergence criterion =	0.9412
Best response mapping iteration =	3.000
Convergence criterion =	0.2406
Best response mapping iteration =	4.000
Convergence criterion =	0.07843
Best response mapping iteration =	5.000
Convergence criterion =	0.02782
Best response mapping iteration =	6.000
Convergence criterion =	0.01126
Best response mapping iteration =	7.000
Convergence criterion =	0.004470
Best response mapping iteration =	8.000
Convergence criterion =	0.001788
Best response mapping iteration =	9.000

Convergence criterion = 0.0007131
 Best response mapping iteration = 10.00
 Convergence criterion = 0.0002847
 Best response mapping iteration = 11.00
 Convergence criterion = 0.0001136
 Best response mapping iteration = 12.00
 Convergence criterion = 4.535e-005
 Best response mapping iteration = 13.00
 Convergence criterion = 1.809e-005
 Best response mapping iteration = 14.00
 Convergence criterion = 7.219e-006

CONVERGENCE ACHIEVED AFTER	15.00	BEST RESPONSE ITERATIONS

EQUILIBRIUM PROBABILITIES		

0.1880	0.2052	0.2236	0.2434
0.2644			
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0.1880	0.2052	0.2236	0.2434
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0.8344	0.8482	0.8610	0.8729
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0.8344	0.8482	0.8610	0.8729
0.8839			

DESCRIPTIVE STATISTICS FROM THE EQUILIBRIUM
BASED ON 5.000e+004 OBSERVATIONS

TABLE 2 OF THE PAPER AGUIREGABIRIA AND MIRA (2007)

(1)	Average number of active firms	=	2.735
(2)	Std. Dev. number of firms	=	1.513
(3)	Regression N[t] on N[t-1]	=	0.5322
(4)	Average number of entrants	=	0.9948
(5)	Average number of exits	=	0.9890

(6) Excess turnover (in # of firms) = 0.8696

(7) Correlation entries and exits = -0.2298

(8) Frequencies of being active =
0.5035
0.5266
0.5483
0.5658
0.5913

***** MONTE CARLO EXPERIMENT # 4.000 *****

Replication = 1.000

- (a) Simulations of x's and a's
- (b.1) Estimation of initial CCPs (Non-Parametric)
- (b.2) NPL algorithm using frequency estimates as initial CCPs
- (c.1) Estimation of initial CCPs (Semi-Parametric: Logit)
- (c.2) NPL algorithm using Logit estimates as initial CCPs
- (d.1) Estimation of initial CCPs (Completely Random)
- (d.2) NPL algorithm using U(0,1) random draws as initial CCPs
- (e) NPL algorithm using true values as initial CCPs

Replication = 2.00000

- (a) Simulations of x's and a's
- (b.1) Estimation of initial CCPs (Non-Parametric)
- (b.2) NPL algorithm using frequency estimates as initial CCPs
- (c.1) Estimation of initial CCPs (Semi-Parametric: Logit)
- (c.2) NPL algorithm using Logit estimates as initial CCPs
- (d.1) Estimation of initial CCPs (Completely Random)
- (d.2) NPL algorithm using U(0,1) random draws as initial CCPs
- (e) NPL algorithm using true values as initial CCPs

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Replication = 999.000

- (a) Simulations of x's and a's
- (b.1) Estimation of initial CCPs (Non-Parametric)
- (b.2) NPL algorithm using frequency estimates as initial CCPs
- (c.1) Estimation of initial CCPs (Semi-Parametric: Logit)
- (c.2) NPL algorithm using Logit estimates as initial CCPs
- (d.1) Estimation of initial CCPs (Completely Random)
- (d.2) NPL algorithm using U(0,1) random draws as initial CCPs
- (e) NPL algorithm using true values as initial CCPs

Replication = 1000.00

- (a) Simulations of x's and a's

- (b.1) Estimation of initial CCPs (Non-Parametric)
- (b.2) NPL algorithm using frequency estimates as initial CCPs
- (c.1) Estimation of initial CCPs (Semi-Parametric: Logit)
- (c.2) NPL algorithm using Logit estimates as initial CCPs
- (d.1) Estimation of initial CCPs (Completely Random)
- (d.2) NPL algorithm using U(0,1) random draws as initial CCPs
- (e) NPL algorithm using true values as initial CCPs

Number of Re-drawings due to Multicollinearity = 0.000000

MONTE CARLO EXPERIMENT # 4.00000

EMPIRICAL MEANS AND STANDARD ERRORS

TABLE 4 OF THE PAPER AGUIRREGABIRIA AND MIRA (2007)

	theta_fc_1	theta_rs	theta_rn	theta_ec
TRUE VALUES	-1.90000	1.00000	1.00000	0.000000
MEAN 2step-True	-1.90130	1.00602	1.01408	-0.00283881
MEDIAN 2step-True	-1.90959	1.00340	0.991762	0.00121757
S.E. 2step-True	0.516520	0.331523	1.35003	0.111337
MEAN 2step-Freq	-0.916849	0.330050	0.102813	0.237531
MEDIAN 2step-Freq	-0.915114	0.331320	0.0949388	0.236495
S.E. 2step-Freq	0.238733	0.0950107	0.339252	0.110433
MEAN NPL-Freq	-1.90888	0.994919	0.977453	-0.00292536
MEDIAN NPL-Freq	-1.95455	0.979689	0.849147	0.000351669
S.E. NPL-Freq	0.536969	0.318883	1.32343	0.108562

MEAN 2step-Logit	-2.08042	0.889536	0.525217	-0.00344358
MEDIAN 2step-Logit	-2.09910	0.881133	0.500104	0.000126992
S.E. 2step-Logit	0.439715	0.263955	1.07328	0.110223
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MEAN NPL-Logit	-1.90649	0.997391	0.987480	-0.00268923
MEDIAN NPL-Logit	-1.94298	0.986571	0.915117	0.000867003
S.E. NPL-Logit	0.490378	0.293882	1.20559	0.108343
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MEAN 2step-Random	-2.08042	0.889536	0.525217	-0.00344358
MEDIAN 2step-Rando	-2.09910	0.881133	0.500104	0.000126992
S.E. 2step-Random	0.439715	0.263955	1.07328	0.110223
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MEAN NPL-Random	-1.90466	0.996924	0.987603	-0.00269832
MEDIAN NPL-Random	-1.94198	0.988743	0.923940	0.000568465
S.E. NPL-Random	0.481617	0.284053	1.16735	0.108016
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MONTE CARLO EXPERIMENT # 4.00000
SQUARE-ROOT MEAN SQUARE ERRORS
 RATIOS OVER THE SQUARE-ROOT MSE OF THE 2-STEP PML USING THE TRUE CCPs

	theta_fc_1	theta_rs	theta_rn	theta_ec
SQ-MSE 2-step-TRUE	0.516522	0.331578	1.35010	0.111373
RATIO: 2step-Freq	1.95872	2.04071	0.710453	2.35197
RATIO: NPL-Freq	1.03973	0.961836	0.980383	0.975113
RATIO: 2step-Logit	0.920176	0.862956	0.869273	0.990153
RATIO: NPL-Logit	0.949468	0.886348	0.893007	0.973094
RATIO: 2step-Rando	0.891265	0.777017	0.769342	1.00646
RATIO: NPL-Random	0.932467	0.856722	0.864687	0.970157